Statistical Methods for Identifying Periods of State-Based Conflict

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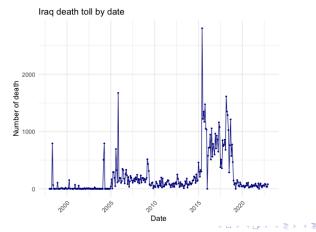
- **State-based conflict** involves violence where at least one party is a government, including conflicts between states or between the government and rebels or civilians.
- Conflicts often involve civilians, making it crucial for decision-makers to identify periods of conflict early to intervene appropriately.
- The project aims to apply statistical methods to identify and analyze periods of state-based conflict.

- Understanding and predicting how conflicts evolve over time is essential for proactive intervention.
- The project uses count data time series models to characterize conflict dynamics and forecast future trends.
- Insights from this analysis can support informed decision-making and enhance conflict prevention strategies.

- Defined as violence where at least one party is the government of a state, including conflicts between states or between a government and rebels/civilians.
- A year with 25 deaths from such violence is classified as a conflict period.
- This definition may hinder precise statistical modeling of conflict duration and intensity.
- Prediction of conflict periods is crucial for timely intervention.

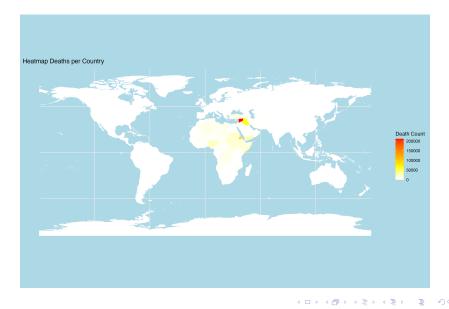
Example - Iraq Conflict

- Iraq is a prominent example of a state-based conflict, with frequent clashes involving the government and various insurgent groups.
- The conflict in Iraq provides rich data for statistical analysis, demonstrating both the intensity and duration of such conflicts.



- Frequency of Deaths: Most days show zero deaths, with spikes indicating major events.
- **Temporal Trends:** Death tolls vary greatly over time, reflecting changes in conflict intensity or strategies.
- **Outliers:** High death counts, such as a peak of 2803 deaths in one day, may signal major incidents or data issues.

Heatmap



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Model Comparison Process

To compare time series models, follow these steps:

- **§** Simulate Data: Generate data from a chosen time series model.
- **②** Fit Models: Fit different models to the simulated data.
- Record Metric: For each model, record the performance metric, such as the Sum of Squared Errors (SSE):

$$\mathsf{SSE} = \sum_{i=1}^n (y_i - \hat{y}_i)^2$$

- Repeat: Repeat this process over K iterations (e.g., 500), recording the SSE for each iteration.
- Ompute Mean: Calculate the Mean Squared Error (MSE) for each model:

$$\mathsf{MSE}^{(m)} = \frac{1}{K} \sum_{k=1}^{K} \sum_{t=1}^{T} (y_{t,k} - \hat{y}_{t,k}^{(m)})^2$$

Poisson Distribution:

$$P(Y = y) = \frac{\lambda^{y} e^{-\lambda}}{y!}$$

where λ is the average rate and y is the observed count.

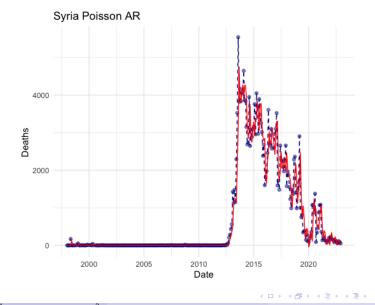
Autoregressive Model (AR(1)):

$$Y_t = \phi Y_{t-1} + \epsilon_t$$

where ϕ is the autoregressive parameter and ϵ_t is the error term.

Poisson AR Model: Combines Poisson distribution with AR(1) for count data with temporal dependencies.

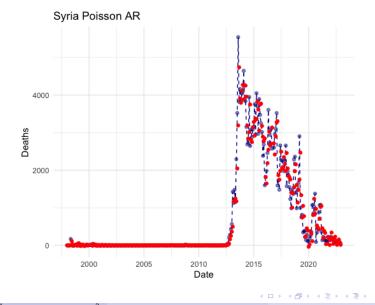
Poisson AR Fit



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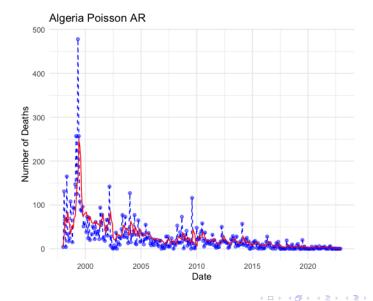
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Bad fits



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Zero-Inflated Poisson AR Model

ZIP Distribution:

$$P(Y = y) = \begin{cases} \pi + (1 - \pi)e^{-\lambda}, & \text{if } y = 0\\ (1 - \pi)\frac{\lambda^{y}e^{-\lambda}}{y!}, & \text{if } y > 0 \end{cases}$$

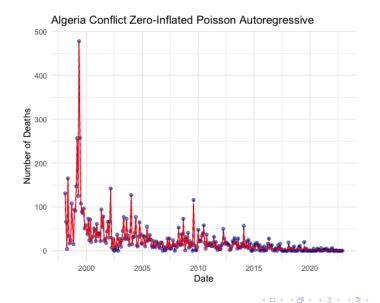
where π is the probability of excess zeros and λ is the Poisson rate.

ZIP-AR Model:

$$\log(\lambda_t) = \beta_0 + \beta_1 \log_t + \beta_2 date_t$$
$$\log_t(\pi_t) = \gamma_0 + \gamma_1 date_t$$

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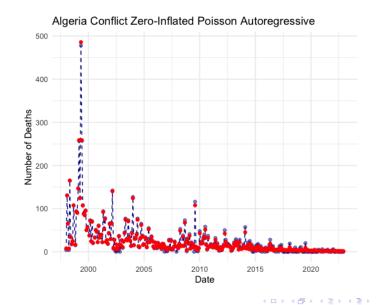
Zero-Inflated Poisson AR Fit



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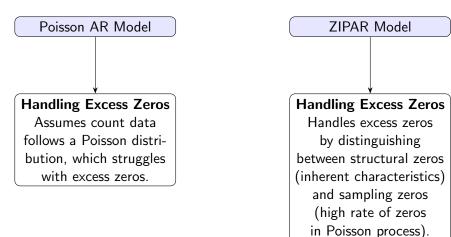
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Zero-Inflated Poisson AR Fit

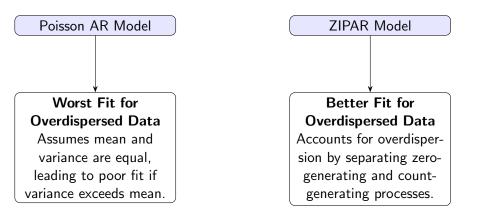


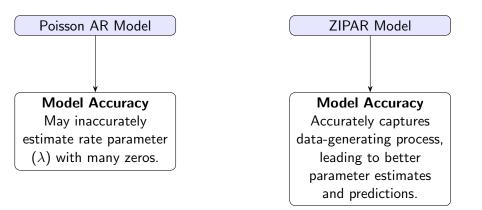
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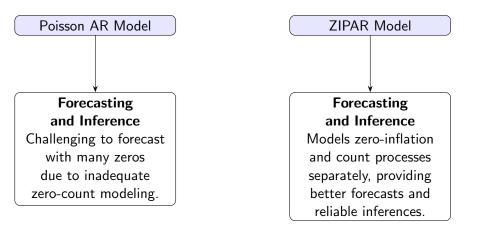
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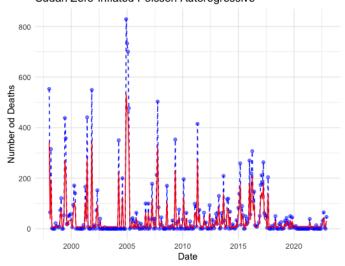




For future work, the application of the negative binomial distribution to model state-based conflict data is a promising direction. This approach is particularly suitable for over-dispersed data, where the variance exceeds the mean, which is often the case with conflict-related death counts.

• **Overdispersion:** The negative binomial distribution is advantageous over the Poisson distribution, which assumes equal mean and variance. The added flexibility of the negative binomial model makes it more appropriate for datasets with high variability.

Bad fits



Sudan Zero-Inflated Poisson Autoregressive

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• **Model Comparison:** Future research could involve fitting the negative binomial model to historical conflict data and comparing its performance with other models, such as Poisson and zero-inflated Poisson models. This comparison could provide insights into which model best captures the nature of conflict data.

- Petersson et al. (2019). "State-Based Conflict Analysis."
- Hyndman, R. J. (2018). "Forecasting Principles and Practice."

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